

ATTORNEY DOCKET NO.  
020431.0328

PATENT APPLICATION

APPLICATION FOR U.S. PATENT UNDER 37 C.F.R. § 1.53(b)  
TRANSMITTAL FORM

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Sir:

Transmitted herewith for filing is the patent application  
of:

Inventor or Application Identifier: Vibhu K. Kalyan

Entitled: *COMPUTER-IMPLEMENTED PRODUCT VALUATION TOOL*

Enclosed are:   X   Specification (35 pages)  
  X   Drawing(s) (4 Sheets Formal)

  X   Unsigned combined Declaration and Power of Attorney.

       Information Disclosure Statement (IDS) PTO-1449 with copies  
of references cited.

  X   Certificate of Mailing

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       An Assignment of the invention to (CORP NAME). is attached.  
A cover sheet in compliance with 37 C.F.R. §§ 3.28 and 3.31 is  
included with the Assignment recordation fee of \$40.00 pursuant  
to 37 C.F.R. § 1.21(h).

  X   The accompanying application claims the benefit of U.S.  
provisional patent application Serial No. 60/066,133 filed  
November 19, 1997; U.S. provisional patent application Serial No.  
60/066,134 filed November 19, 1997; and U.S. provisional patent  
application Serial No. 60/066,136 filed November 19, 1997.

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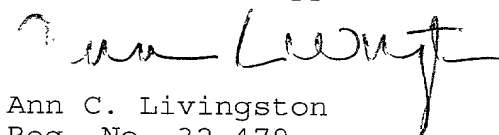
Applicant is Large Entity.

FEE CALCULATION					FEE
	Number		Number Extra	Rate	Basic Fee
					\$ 790.00
Total Claims:	19	-20 =	0	X \$22 =	\$ 0.00
Independent Claims	4	- 3 =	1	X \$82 =	\$ 82.00
TOTAL FILING FEE =					\$ 872.00

Enclosed is a check in the amount of \$872.00 to satisfy filing fee requirements under 37 C.F.R. §1.16. Please charge any additional fees or credit any overpayment to Deposit Account No. 02-0384 of BAKER & BOTTS, L.L.P. A duplicate copy of this sheet is enclosed.

Respectfully submitted,

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COMPUTER-IMPLEMENTED PRODUCT VALUATION TOOL

RELATED PATENT APPLICATION

This application claims the benefit of U.S. Provisional Application No. 60/066,133, filed November 19, 1997 and entitled "*Computer Implemented Method and System for Value Management and Optimization for a Make-to-Order (MTO) Manufacturer*"; U.S. Provisional Application No. 60/066,134, filed November 19, 1997 and entitled "*Computer Implemented System and Method for Value Maximization*"; and U.S. Provisional Application No. 60/066,136, filed November 19, 1997 and entitled "*Computer Implemented System and Process for Value Maximization (VM) Determination of Lead Time Based Pricing for Material Intensive Industry*".

TECHNICAL FIELD OF THE INVENTION

This invention relates to computer-implemented enterprise management tools, and more particularly to a computer-implemented method of calculating product values, with the values varying in accordance with demand forecasts, as well as lead times and delivery times when appropriate.

BACKGROUND OF THE INVENTION

One of the unique challenges of any manufacturing enterprise is pricing of its end products. Traditionally, these prices are computed on the basis of a cost-plus measure and some measure of the ability of the customer to pay.

In recent years, computer-implemented enterprise management tools have been developed to assist in management decisions. These tools often include pricing tools, intended to assist in the pricing process.

Although product pricing methods have been developed for airlines, such tools are not necessarily suitable for manufacturers. For example, many manufacturers (referred to as "material intensive manufacturers") have limited materials (components) rather than capacity. Demand is probabilistic and is not in a particular order for different prices, as is the case with airline travel.

SUMMARY OF THE INVENTION

One aspect of the invention is a computer-implemented method of valuing products. Products are valued in terms of their components. Typically, products are either non-  
5 standard or standard, depending on the particular combination of components. Products having a known price are considered standard products. Demand probability values are assigned to each of the products. A component value is obtained for each component, by performing the  
10 following steps: (a) assuming a beginning value for each component; (b) for a first component, calculating prorated values, such that for products using that component, a prorated value is calculated on that component by calculating the difference between the product price and a  
15 value of the product's other components; (c) calculating a component value as a function of the prorated values and the demand probability values; (d) repeating steps (b) and (c) for all components; (e) determining whether the component values converge; and (f) if any component value  
20 does not converge, using the calculated component values as the beginning component value and repeating steps (b) through (e) for that component; and calculating a value for each product by adding the component value of each component of that product.

25 An advantage of the invention is that it provides a method of pricing product options in a manner that considers probabilistic demand. Prices can be set so as to accommodate the opportunity cost of critical components. Non-standard products can be designed and priced by  
30 considering prices for standard products, availability of critical components, and probability of demand for standard products.

The method can be extended to price lead time terms for ordering products. It can also be extended to price  
35 products in accordance with varying delivery times, a

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method that is particularly useful for make-to-order  
manufacturers.

BRIEF DESCRIPTION OF THE DRAWINGS

FIGURE 1 illustrates a method of pricing products in terms of their components, using probabilistic demand calculations in accordance with the invention.

5        FIGURES 2A and 2B illustrate how component values, product prices, and product demand probabilities can be graphically represented in three dimensions.

FIGURE 3 represents the pricing process in terms of its inputs and outputs.

10        FIGURE 4 illustrates MAV values as a function of available supply.

FIGURE 5 illustrates the revenue displaced by charging MAV for a quantity Q.

15        FIGURE 6 illustrates a process of determining MAV for lead time pricing.

FIGURES 7 and 8 illustrate MAV as a function of order size, Q, and lead time, LT, respectively.

20        FIGURE 9 illustrates a price-demand curve for a product, and compares maximum revenue at a single price to total potential revenue at multiple prices.

FIGURE 10 illustrates how expected revenue for a make-to-order manufacturer can be calculated from a binary tree.

DETAILED DESCRIPTION OF THE INVENTION

The following description is directed to a computer-implemented tool that implements a "value management " (VM) pricing method. This pricing tool is a synthesis of two other computer-implemented business management tools: yield management practice, such as is used by airlines to price tickets, and tools for decision support across supply chains, such as are commercially available from i2 Technologies Inc. The present invention is a novel combination of these two software applications, and can be beneficial in a number of areas, such as pricing, product design and product control. In general, the invention can be implemented as program code and data, which are executed on a computer system and provide results to a user both as stored and displayed data.

Value Management for Product Pricing

Value management may be used as a pricing solution that balances supply with demand. As explained below, the prices of components that make up a product are determined based on probabilistic demand and available supply. More specifically, using statistical forecasts for standard products (SP) that consume known amounts of some underlying materials, called critical components (CC), together with known prices for the SPs, the values of the CC's are calculated based on their available supply at the time of the calculation. The CC values are calculated using an iterative process.

For purposes of this description, the following parameters are defined:

N                    number of different CC's that are used in  
                         building various products  
A<sub>h</sub>                   the amount available of the h<sup>th</sup> component h  
                         =        1, 2, ... N



- M            number of standard products being offered  
for            sale
- $P_k$             the offered price for the  $k^{\text{th}}$  product,  $k = 1,$   
                   $2, \dots M$
- 5             $F_k(x)$             cumulative density function (CDF) for the  $k^{\text{th}}$   
                  product
- $S_k$             ordered set of components used to build the  
                                   $k^{\text{th}}$  product, referred to herein as  
                  the            component set (CS)
- 10             $Q_{rk}$             consume per of  $r^{\text{th}}$  component in  $S_k$ ,  $r = 1, 2, \dots$   
                   $C_k$ , referred to herein as the component  
                  usage            set (CUS)

The pricing problem assumes a limited availability of  
CC's, and a number of non-standard products (NSPs) that can  
15 be built using varying amounts and combinations of CC's  
along with SP's. The task is how to determine values for  
non-SPs, which are not predefined, unlike SPs whose prices  
are known as part of the inputs? Also, should any order  
for a product (SP or NSP) be satisfied so long as there are  
20 the resources (CC's) to make it? In other words, is the  
pricing policy to be first-come first-serve (FCFS) for any  
product order? Or is control to be exercised, whereby an  
order may be accepted or rejected based on some criteria?

A distinction is made between price and value. Price  
25 of a SP is an input that serves as a starting amount that  
the customer is willing to pay for the product and has an  
associated probability distribution that specifies the  
probability of various levels of unconstrained demands  
(irrespective of availability of CC's or any constraining  
30 factor). Value on the other hand is the customer's  
willingness to pay for a product balanced with the supply  
of the product. For purpose of this description, the  
difference is that "value" is computed by explicitly  
applying the supply and demand law on the inputs that  
35 consist of, in addition to others, available supply and

demand, while "price" is used as an independent variable to determine value. At times the two terms may be used interchangeably, but the context should make clear which meaning is in force. "Price" is also used in the context of the price that is asked of a customer, which need not be the computed value. Rather, value serves as a reference that can be used for price negotiation.

Determining values for all possible combinations of CCs would be a difficult and intractable problem. Instead the pricing method focusses on individual CC's and determines their values. As explained below, to determine the value of any product, it is first determined what CC's the product consumes and the amount consumed per unit (consume\_per). Then the values of the CCs consumed are calculated and added to arrive at a value for the product. The problem is thereby reduced to that of determining the values for the CC's.

Optimal prices for components are a function of controlling the sale of the product. FCFS is one type of control (or no-control). Another control is setting explicit allocations for various products, but this may be impractical when there are a large number of products and not all of them are predefined. The following control strategy is suitable for use with the present invention. If  $V_i$  is the value of  $i^{\text{th}}$  component, then:

$$MAV^p = \sum_{i \in S^p} Q_i^p V_i,$$

, where  $S^p$  is the set of components used by product  $p$  (not necessarily a standard product),  $MAV^p$  is the minimum acceptable value for product  $p$ , and  $Q_i^p$  is the consume\_per value for product  $p$  for component  $i$ . An alternative to a FCFS policy is a control policy that permits a product  $p$  to

be sold if its price is greater than  $MAV^p$ . This control policy is referred to herein as MAV control (MAVC).

Assuming a MAVC pricing control policy, the pricing problem may be solved as an optimization problem, in which the task is to maximize the total expected revenue,  $R(V, A)$ , to come at time  $t$ , where:

$V = (V_1, V_2, \dots, V_N)$  = vector of component values at time  $t$

$A = (A_1, A_2, \dots, A_N)$  = vector of available supply of components at time  $t$

$P = (P_1, P_2, \dots, P_M)$  = vector of SPs with prices at time  $t$

$F = (F_1(x), F_2(x), \dots, F_M(x))$  = vector of CDF's for each of the  $M$  products, where  $x = 0, 1, 2, \dots$ , and represents demand-to-come at time  $t$

$S = \{S_1, S_2, \dots, S_M\}$  = ordered set of components, CS, for each SP, where  $S_k = \{L_1, L_2, \dots, L_{1(k)}\}$ ,  $L_1 < L_2 < \dots < L_{1(k)}$

$Q = CUS = \{Q_{L1k}, Q_{L2k}, \dots, Q_{L_{1(k)}k}\}$

If solved in its most general form, the pricing problem is nonlinear and complex. Even without introducing the time variable  $t$ , it is difficult. It has a discrete variable,  $x$ , and a continuous variable,  $V$ , making it a mixed integer non linear program.

The pricing problem can be simplified by making several assumptions: assume  $x$  is continuous, an assumption that is good for large values of  $x$ ; drop the dependence on  $t$ , solve a static problem at a given value of  $t$ , and model the effect of varying  $t$  by repeatedly revising the solution in real time; when possible model  $F_k(x)$  as a known distribution, for example, a normal distribution. The latter assumption allows specification of the demand distribution by only a few parameters. For a normal distribution, the assumption permits distribution to be specified as the mean and the standard deviation of each

demand. If needed, a truncated form of the distribution can be used to disallow negative values.

FIGURE 1 illustrates the steps of a heuristic method that provides optimal values of component prices,  $V$ . Step 11 is initializing an increment counter value,  $k$ . Step 12 is assuming a set of beginning values for the components. Step 13 is selecting a first component, such that  $c = 1$ .

Step 14 involves calculating a value,  $w$ , that represents the prorated value of a product on a component. Given a price  $p$  for a standard product, a vector  $V$  of component values, and its CS given by  $S$ , its prorated value,  $w$ , on a component  $c$  (belongs to its CUS), is:

$$w = (p - \sum_{i \in S, i \neq c} Q_i V_i) / Q_c \quad (1)$$

, where  $Q_c$  is consume\_per for the product for component  $c$ .

A property of this proration is that if for converged values of  $V$ ,  $w$  is greater than  $V_c$ , then it follows that:

$$p > \sum_{i \in S} V_i$$

, which is equivalent to  $p$  being an acceptable price.

An interpretation of Equation (1) is that the value the product brings for component  $c$  is its price minus the value displaced from all the other components it uses. Dividing the displaced revenue by the consume\_per for  $c$  gives the value per unit of component.

Step 15 is calculating a new component value, given known prices of products and their associated demand probability distributions. Typically, the "known" prices are those of standard products that use the component. For the description of the process, we assume the calculation of Step 15 to be use a process referred to herein as ALG.

The ALG process is described herein by example. Three products and two critical components are assumed.

Product	Forecast	Component Set	Component Usage Set
P1	Prob. {demand=1} = p1	{1, 2}	{1, 1}
P2	Prob. {demand=1} = p2	{1}	{1}
P3	Prob. {demand=1} = p3	{2}	{1}

5

10

The available supply of each component is 1. O12 is the probability that demand for product 1 (price P1) arrives before that of product 2. O21 is the probability that demand for product 2 arrives before that for product 1, or O21 = 1 - O12. Similarly, O13 is the probability that demand for product 1 arrives before that of product 3. It is assumed these probabilities can be computed as:

15

$$O12 = p1 / (p1 + p2)$$

$$O21 = p2 / (p1 + p2)$$

$$O13 = p1 / (p1 + p3)$$

$$O23 = p2 / (p1 + p3)$$

20

. As explained below, the component value calculations use values representing both the probability that demand will materialize, i.e., p1, p2, p3, and the probability that demand will arrive in a certain order, i.e., O12, O21, O13, O23.

25

Where the two component values are V1 and V2, the initial estimate of component values is V11 and V21. Set k and r to 1.

Prorated values on component 1 from each product using it are calculated as:

30

Product Prorated on Component 1

$$1 \quad P11 = P1 - V2r$$

$$2 \quad P2$$

. The component 1 value is computed by letting MV1 = p\*MAX(P11, P2), where p = p1 or p2 depending on whether the first or the second term is maximum, respectively. Then,

35

$$MV2 = O12(p1*P11 + (1 - p1)*p2*P2) + O12*(p2*P2 + (1 - p2)*p1*P11)$$

. The new value for component 1 is:

$V1k = \text{MAX}(MV1, MV2)$

Prorated values on component 2 are calculated as:

Product      Prorated on Component 2

1                       $P12 = P1 - V1k$

3                       $P3$

. The component 2 value is computed by letting  $MV1 = p \cdot \text{MAX}(P12, P3)$ , where  $p = p1$  or  $p3$  depending on whether the first or the second term is maximum, respectively. Then,

$MV2 = O21(p1 \cdot P12 + (1 - p1) \cdot p3 \cdot P3) + O22 \cdot (p3 \cdot P3 + (1 - p3) \cdot p1 \cdot P11)$

. The new value for component 2 is:

$V2r = \text{MAX}(MV1, MV2)$

.  
If  $V1k$  and  $V2r$  have converged, the ALG process is ended. Otherwise, the proration and ALG steps are repeated by incrementing  $k$  and  $r$ . The converged values are the "values", or the prices for the two components.

The following table illustrates the results (component values  $V1$  and  $V2$ ) of the calculations above for various input values ( $P1$  and  $P2$  prices and demand probabilities). Due to a convergence criterion of 0.5, the values have a precision of  $\pm 0.5$ .

<u><math>P1(\\$)</math></u>	<u><math>p1</math></u>	<u><math>P2(\\$)</math></u>	<u><math>p2</math></u>	<u><math>P3(\\$)</math></u>	<u><math>p3</math></u>	<u><math>V1(\\$)</math></u>	<u><math>V2(\\$)</math></u>
2500	.5	1500	.5	1500	.5	1090.9	1090.9
2500	.9	1500	.5	1500	.5	1244.8	1244
2500	.5	1500	.8	1500	.5	1351.8	993.09
2500	.5	1500	.5	1500	.8	993.1	1351.8
2500	.5	2000	.5	1500	.5	1309	1009.1
2500	.5	1500	.5	2000	.5	1009	1309.1

These component values represent values for a given time horizon, i.e., one day, for which demand distributions and other inputs are specified.

FIGURES 2A and 2B illustrate how component values, product prices, and product demand probabilities can be graphically represented in three dimensions. A component values is identified as a MAV (minimum acceptable value) as calculated above. FIGURE 2A illustrates the MAV for component 1 and the price and demand probability for product 2; FIGURE 2B illustrates the data for component 2.

For purposes of the method of FIGURE 1, demand distributions can be modeled as normal, poisson or binary or some known distribution, which require only a limited number of parameters. For normal, only mean and standard deviation is required. The pricing calculations can be modified to accommodate various distributions.

For the inputs to the process, some pricing information, such as an elasticity curve, is needed. These input prices are for SPs only, and may be prices that a business is already comfortable with or obtained from price-demand curves. As explained above, these prices are used to arrive at component values, which in turn can be used to price NSPs based on supply and demand. The component values represent a mapping of forecasted SP demand (with uncertainty) and SP prices onto a limited supply of components. In fact, if SPs were repriced based on these component values, the result would be a lower value since the average revenue for a probabilistic demand for a fixed price is less than the price. However, when selling an NSP, it should be determined how much revenue is being displaced that could have been made at the SP prices and probabilistic demand. Also, when using the component values to negotiate prices, the pricing process may consider factors such as competitive prices and costs.

Calculated component values can be the basis of a variety of pricing decisions. For example, a component that has a 0 component value indicates an oversupply of the component or a lack of demand -- two sides of the same coin

since oversupply is with respect to demand only. If all components have 0 component values that means there are no critical components. But this does not imply a selling price of \$0. This situation also suggests potential oversupply or lack of demand. If it is known that a new product is going to be introduced that will adversely affect the current line of products, the affected component values may drop to a very low value, indicating that the current line should be quickly unloaded.

The above-described component value calculation provides a minimum acceptable value (MAV) for a component, which differs for different production days. An enhanced process can be implemented to take all component values as inputs across a time horizon and perform a smoothing operation, to obtain uniform component values for each component across the time horizon. The physical meaning of this operation is that material supply is moved forward in time. Each component then has the same MAV for all future time horizons. As a by product of this step, it is conceivable that this inventory movement could be used to adjust the supply alignment with the suppliers, given enough lead time. Assume a manufacturer has a certain supply arrangement of materials for each day over the next several days. After calculating component values, a new arrangement can be designed, optimized with respect to supply and demand. The plan may be changed repeatedly, as often as the calculation of component values is carried out.

The process described above to calculate pricing for a three-product two-component case can be generalized to include more complex situations. Examples of complexities are: inclusion of available supplies of components to be greater than 1; more complex continuous probability distributions for demand of products; consume\_per of components greater than 1; multiple time horizons, where



component values that differ over various time horizons will are smoothed so only one value is seen over all horizons; generalization to volume orders (similar to group bookings for airlines); and inclusion of demand and/or price curves for products instead of a static value.

FIGURE 3 illustrates the pricing process in terms of its inputs and outputs. The inputs are: unconstrained demand distribution of each SP for each time horizon of interest, price offered for each SP, component list for each SP, the consume\_per of each component for each SP, the available supply of each critical component for each time horizon of interest, volume of order, pricing and demand curves as a function of time (if known). The outputs are: value for each critical component for each time horizon, and optionally, a smoothed value for each critical component over all time horizons of interest.

#### Value Management for Lead Time Pricing

The above-described value management (VM) pricing process can be extended to determine pricing based on varying lead time requirements of the customer. An environment in which lead time pricing might operate is one in which a manufacturer is negotiating a price with a customer. For example, the manufacturer might be attempting land an order of, say 50,000 personal computers (PC's). The customer typically wants various options, configurations and each option or configuration in specific quantities delivered over a specified time period. The customer does not want the complete order delivered at the same time. Rather, it wants the flexibility to call anytime during the specified time period to draw against this bulk order, each time the quantity requested not exceeding an agreed upon number, Q. But once the order is placed, the delivery should occur within LT weeks.

Given these conditions and given the capacity to fill the order, lead time pricing method determines answers to the following issues: What price to quote to the customer for each option (each option is a particular type of PC requiring certain components to build it) based on Q? How does this price vary as a function of LT? What is the maximum frequency of customer orders that should be negotiated? Is there an economic value that can be assigned to this frequency?

The lead time pricing method focuses on the value of the constrained resource (materials) based on the projection of future sales of SPs that can be made from the materials, the advertised prices for the SPs, and the available supply of materials. In the method described above in connection with FIGURE 1, it was shown how, given an available supply of constrained materials, and probabilistic demand of SPs and their prices, the values of the critical components can be computed.

The component values (MAVs) calculated in accordance with FIGURE 1 are marginal values, that is, the value obtained from the last unit of the available supply of each component. However, when the consumed supply of a component for an order is much greater than 1, the expected revenue that is displaced is generally not marginal value times the quantity consumed. This is because in a limited supply and high demand situation, each additional unit of supply costs more than the previous one.

FIGURE 4 illustrates a typical MAV curve as a function of the supply of a critical component. The curve is usually monotonically decreasing although its slope decreases at either end and is maximum somewhere close to the middle. The area under the curve is the expected revenue from the available supply of the component. When the demand is much less than the supply, the MAV approaches 0. Because demand is probabilistic, "demand less than

supply" is meant in a probabilistic sense. Generally, it is mean + 3\*standard deviation, which covers, for a normal distribution, close to 99.99% of possible demand values.

5 The curve of FIGURE 4 illustrates how MAV varies as a function of supply of material for a particular time horizon, i.e., one day. As stated above, MAV can be thought of as the value of the last unit of supply. The price to charge for a quantity Q for that day is not Q\*MAV because MAV increases as each unit of supply is consumed.  
10 For Q less than some threshold, it may be acceptable to charge MAV as the price for each unit, but for larger Q such a price is unacceptable.

FIGURE 5 illustrates the revenue displaced by pricing a component at MAV for a quantity Q. The total area under the curve is the total potential revenue from a supply S of the component. The shaded area represents the displaced revenue. The displaced revenue is not simply the MAV at S because as Q is removed (S decreases), the MAV increases. The floor for the negotiating price per unit of product for that component should be equal to:  
20

Revenue Displaced/Q

. For a product having multiple components, a MAV versus supply curve for each component must be considered.

As stated above in connection with FIGURE 1, the pricing process can be interpreted in terms of displaced revenue. In FIGURE 5, the displaced revenue could be calculated by integrating the curve between S and S - Q. However a simpler variation uses the MAV process described in connection with FIGURE 1 to obtain a total potential revenue from a given supply, S. Then revenue from the MAVs for S - Q is similarly calculated. The difference in revenues between the two cases approximates the area of the curve between S and S - Q, and thus approximates the revenue displaced by the MAVs for Q. In other words, the formula for MAVs is applied with the displaced revenue  
35

coming from solving the MAV problem twice. For a product having multiple components, the MAVs are calculated for each components and the component revenues added, thereby obtaining revenues for the product.

5 In the method of FIGURE 1, there was no mention of lead time. The quantity  $Q$  was that for a particular horizon, say a day. That is, all of  $Q$  were going to be produced during the day in question. In reality, a customer will often agree to limit orders for a total of  $Q$  over a contract period of, say a year. Each time the  
10 customer calls, the maximum quantity will be  $Q_{\max}$ . However delivery will be expected within a time period,  $LT$ .

The value management pricing process can be used to determine what the negotiating price should be for a  
15 specified lead time. For purposes of this description, the following assumptions are made: the orders for  $Q_{\max}$  will come randomly and uniformly distributed within the period of contract; a subsequent order will only come after a current order has been fulfilled; the time it takes to  
20 manufacture the order is equal to  $LT$ , i.e., delivery is instantaneous; the horizon for MAV's is daily.

With regard to the above assumptions, the assumption of uniform order distributions is to simplify analysis -- other order distributions can be handled. The second  
25 assumption can be relaxed and generalized so as to become a negotiating variable with the customer. The third assumption is easy to relax, by adding another offset to the manufacturing period. The fourth assumption can be generalized such as to include multiple days' horizon or  
30 several horizons within a day.

FIGURE 6 illustrates a method of determining MAV for lead time pricing. The method assumes a MAV curve such as that of FIGURES 4 and 5, which may be obtained using the pricing process of FIGURE 1. Step 61 is randomly selecting  
35 a sample of  $N$  order points over the contract period with

equal probability. In Step 62, for a first order point, consider the next LT days and set  $Q_{\text{daily}} = Q_{\text{max}}/\text{LT}$ . In Step 63, determine the displaced revenue. In Step 64, repeat for all the sample points. In Step 65, calculate the average displaced revenue. The result of the average is a floor on the negotiating price for the quantity Q, referred to herein as  $\text{MAV}_{\text{negotiation}}$ . For a product having multiple components, the process of FIGURE 6 is repeated for each component and the results added together.

FIGURES 7 and 8 illustrate MAV as a function of maximum order size, Q, and of lead time, LT, respectively. The MAV values are those calculated using the process of FIGURE 6.

As part of negotiations, a manufacturer could insist on granting no more than a certain number of orders,  $Q_{\text{maxfreq}}$ , drawn against the total order over the contract period. Each order is a disruption on manufacturing operations, which the manufacturer would like to minimize. The order frequency is tied to  $Q_{\text{max}}$ , in that a higher number generally reflects a lower frequency. But there is nothing preventing the customer from making a large number of small orders and still be within the contract unless  $Q_{\text{maxfreq}}$  is agreed upon. To accommodate order frequency, the process can include additional steps: First, assume a worst case of  $Q_{\text{max}}$  occurring  $Q_{\text{maxfreq}}$  times even though  $Q_{\text{max}} \times Q_{\text{maxfreq}}$  may be greater than the total order quantity, Q. Next, set the total displaced revenue to be  $R_{\text{max}} = \text{MAV}_{\text{negot}} \times Q_{\text{max}} \times Q_{\text{maxfreq}}$ . The new negotiated price is  $\text{MAV}_{\text{negotiation-maxfreq}} = R_{\text{max}}/Q$ . This method overestimates revenue and spreads it over a smaller quantity Q to take into account the higher allowed frequency. A related quantity to maximum frequency could be the minimum gap between subsequent orders. It can be converted into a corresponding maximum frequency to calculate the price quote.

Value Management for Make-to-Order Pricing

Make-to-order manufacturers (MTOs) are characterized by low inventory and cycle time. Many hi-tech manufacturers such as computer system integrators fall into this category. They cater to retailers as well as to individual customers, taking orders by telephone or online. MTOs tend to not produce a product until it is ordered. Usually MTOs advertise their items at a fixed price, with a maximum delivery time. At times, they may deliver sooner if the customer. However, conventionally, the price charged is the same, barring any volume discounts.

Another aspect of the present invention is directed to how MTOs can benefit from value management (VM). As explained above, a basic idea behind VM is components can be valued in terms of probabilistic demand. These values can be used to define products that provide greater value and to arrive at a product control policy. The net effect of the product design and a product control policy can be significant gains in profit margins.

FIGURE 9 illustrates a linear price-demand curve for a product, P. As explained below, when only a single price is to be charged, the curve can be used to determine an optimal price. The curve can also be used to determine a total potential revenue that could be realized (theoretically) if multiple prices were charged.

Suppose a MTO manufacturer sells P at a fixed price of \$800. At \$1600, the demand is almost 0, and at 0, the demand is high (limit it to 100). From this information, the single price at which total revenue is maximum can be determined. If any (price, demand) pair on the curve is chosen as (r,d), the total revenue, R, is:

$$R = rd$$

, and the equation for the line is:

$$r = md + c$$

, where  $m = -1600/100$  and  $c = 1600$ . Multiplying both sides by  $d$ , then:

$$\begin{aligned} R &= d(md + c) \\ &= md^2 + dc \end{aligned}$$

5 , and taking the derivative:

$$dR/dd = 2md + c$$

. To maximize  $R$ , the derivative is set to zero, thus:

$$0 = 2md + c$$

$$d = -c/2m = 1600/32 = 50$$

10  $r = -16(50) + 1600 = 800$

. The realized revenue from the single price of \$800 is  $800 \times 50 = \$40,000$ .

However, the total revenue "potential" (one that would result from charging different prices for different demands) is  $100 \times 1600/2 = \$80,000$ . Thus, a single price that maximizes revenue (\$800) is only half the total potential revenue that could be realized from different prices for different products. The potential revenue is:

15 
$$\begin{aligned} &(-c/2m)(md + c) \\ 20 &= -cd/2 - c^2/2m \end{aligned}$$

. The maximum revenue is:

$$\begin{aligned} R_{\max} &= -c(-c/(2m))/2 - c^2/2m \\ &= -c^2 \div 4m \end{aligned}$$

25 . The potential revenue is  $cb \div 2 = -c/2m = 2(R_{\max})$ , hence the result.

If the goal is to maximize profit (revenue - cost), then under the assumption of fixed cost, equations for profit can similarly be derived as follows:

30 
$$\begin{aligned} p &= r - z \\ &= md + c - z + md + (c - z) \end{aligned}$$

, where  $p$  is the profit per unit of product, the new intercept is  $m - z$  in place of  $c$ , and  $z$  is the fixed cost per unit of product. Total profit  $P$  is:

35 
$$\begin{aligned} P &= rd - dz \\ &= d(md + c) - dz \end{aligned}$$

. The maximum profit (for a single price) occurs at  $d = -(c - z)/2m$  and the corresponding maximum profit is:

$$P_{\max} = -(c - z)^2 / 4m.$$

The total potential profit is:

$$\begin{aligned} P_{\text{pot}} &= \int_0^{-c/m} (mx + (c - z)) dx = mx^2/2 \Big|_0^{-c/m} + (c - z)x \Big|_0^{-c/m} \\ &= c^2/2m - (c - z)c/m = -c^2/2m + cz/m = -(c - z)^2/2m + z^2/2m \\ &= 2P_{\max} + z^2/2m \end{aligned}$$

. The second term is negative because  $m$  is negative. As  $z$  increases, the potential profit compared to that for single price (optimum) decreases. For reasonable values of  $z$ , the potential increase in profit is substantial.

One aspect of the invention is realizing, for a MTO manufacturer, the potential profit opportunity described above. Suppose the item is a personal computer, which the MTO sells that for a price of \$800, with a delivery time of 3 weeks. However, if the customer wants it the next day it could be done but for a price of \$1200. Another price-delivery pair might be (\$1100, 1 week). Once these products have been designed, there is a need for product control. The manufacturer does not want to simply fill the demand for various products as it comes in, but would rather deny some in the hope that there will be later demand. To make an objective evaluation, there needs to be a forecast of demand for the products out in future.

Thus, there are two levels of benefits. A first involves redesigning product and delivery times. A second involves forecasts of demand and an effective product control (PC) policy. Value management is fully realized by taking advantage of both levels of benefits. Product design is insufficient because of limited capacity (capacity includes both assets and materials), and without product control, the MTO may end up not realizing higher



paying demand if demand at lower prices is high and comes first.

Assume that the process of product design yields the following products for a laptop manufacturer:

5	<u>Item</u>	<u>Product</u>	<u>Price (\$)</u>
	Laptop = P	P (1 day delivery)	1200
	P	P (1 week delivery)	1100
10	P	P (3 week delivery)	800

Based on a price-demand curve such as that of FIGURE 9, demand values can be assigned as single deterministic numbers. But in reality, demands are stochastic and are better characterized by a probability distribution. A better approach is to assign demand values for different "buckets" of prices. To this end and as a simple example, assume that the demand is 1 unit with a probability of .5. That is, there is a 50% chance the demand of 1 may not materialize. The demand probability table looks like:

	<u>Product</u>	<u>Price (\$)</u>	<u>Demand</u>	<u>Probability of the demand materializing</u>
25	P1(1 day delivery)	1200	1	.5
	P2(1 week delivery)	1100	1	.5
30	P3(3 week delivery)	800	1	.5

It is assumed that each laptop needs 1 unit of some scarce material. The PC is assumed to be first-come first serve (FCFS).

Appendix A compares expected revenues with and without product design (PD) for various values of available capacity (AC), measured as the units of the scarce material available for a particular time unit, say, one day, of manufacturing. "AP" is asking price

(explained below), and "ER" is expected revenue. For the non-PD case, there are 3 items with the same price of \$800. For the PD case, the 3 products are P1 (\$1200), P2 (\$1100) and P3 (\$800). By definition, the order in which they arrive is P3, P2 and P1. The same labels indicate the corresponding price, and the context will make clear what the label means. The control policy is assumed to be FCFS.

The following are the general formulas for AC = 3, 2 and 1, with s1, s2 and s3 denoting the corresponding probabilities (assumed to be .5 in this case). Also,  $q_1 = 1 - s_1$ ,  $q_2 = 1 - s_2$  and  $q_3 = 1 - s_3$ . ER(n) is the expected revenue for available capacity of n.

AC	Formula for Expected Revenue under FCFS
1	$s_3 P_3 + q_3 (s_2 P_2 + q_2 s_1 P_1)$
2	$s_3 (P_3 + s_2 P_2 + q_2 s_1 P_1) + q_3 (s_2 (P_2 + s_1 P_1) + q_2 s_1 P_1)$
3	$s_3 (P_3 + s_2 (P_2 + s_1 P_1) + q_2 s_1 P_1) + q_3 (s_2 (P_2 + s_1 P_1) + q_2 s_1 P_1)$

Here P1, P2 and P3 denote prices.

In Appendix A, the units of capacity (and the resulting APs) are for a given time horizon, i.e., one day. In the first row is the expected revenue for values of available capacity under the assumption that the same revenue (\$800) is received from even those customers who would have paid a higher price. The expected revenue (ER) from the last single product for a given capacity is the difference between the ER for the AC minus the ER from one less AC, resulting in the AP. The value of each additional unit of capacity goes down as AC increases, everything else remaining same. The additional value of a unit of capacity is related to PC, as will be explained below.

FIGURE 10 illustrates how the expected revenue for a MTO manufacturer (different prices for different delivery times for the same product) can be graphically represented

as a binary tree. The formulas for ER are the same as set out above.

No forecasts are needed for first-come first-serve (FCFS) as a PC policy, but are used for other PCS. The following discussion explains how using a PC policy other than FCFS adds additional revenue opportunity. Prices are called "values", understanding that it is assumed that the cost is zero. That is not true, but for the purposes of example, the assumption is that price is the same as value, and when cost data is available adjustments can be made.

Appendix B sets out APs and ERs, assuming a PC (non FCFS). The PC is that at any given time, for various units of capacities for particular time horizons (days for example), for each row (product), calculate the ER from those resources (capacities) if it is decided to accept an order. For AC = 1, PC(3W), the ER is \$825 as opposed to \$850 if only PC(1W) were accepted. Thus for optimal control, PC(3W) for AC = 1 should be rejected. \$850 is the asking price for AC = 1. This is the minimum price (value) to accept. At AC = 1, PC(3W) (\$800) is rejected since its ER is less than the AP. However as the AC increases, the value of the added capacities goes down. For AC = 2, any order is accepted; the AP (ER(2) - ER(1) under optimal control) is \$550 and is less than the ER for the lowest product offering. AP goes even lower at AC = 3 (\$150) and ultimately to 0 at AC = 4.

The asking price (AP) for a given value of AC is the maximum expected revenue for this last unit of capacity. Thus for AC = 1, AP = \$850 with the control policy being to reject PC(3W). As stated above, AP is a function of PC. Comparing the results of Appendices A and B, for AC = 1, the AP for the non-FCFS PC policy is \$850 versus \$825 for FCFS. At AC = 2, it is higher for FCFS simply because it was sub optimal for AC = 1. At AC = 3, the two are the same and the two controls become the same operationally.

Generally a PC policy is needed when there is limited capacity with respect to demand.

Typically, business practice does not allow for varying prices for the same physical item since the customer does not perceive added value. However by recognizing that there is an underlying higher paying customer demand that can be tapped by tying delivery time to the product, more revenue is extracted. A control mechanism assigns allocations to each product based on the available capacity for the time horizon (day, week or whatever is appropriate) under consideration. In the example, all capacity is available for an order of PC(1D), and then there is some fraction of the capacity available to PC(1W), and a lower fraction to PC(3W). Because the calculations assume one order at a time, the calculations may change if the order quantity is large.

The following steps can be taken to make a significant positive impact on revenue and profit. First, analyze underlying demand to obtain a relationship between price charged and demand. The result is a product design (PD) scheme. Design history databases for help in demand forecasts. Institute business process flows that employ a product control scheme. This will result in computer implemented methods and screens for order processors that will provide visibility into future plant/manufacturing facility status and also what products will be made available in what quantities. Various computer-implemented supply management tools could be used, each corresponding to one of the steps. The modules could be, for example, Demand Analyzer, Forecasting Engine and Optimizer modules, such as those available from i2 Corporation.

The above examples include simplifying assumptions to illustrate numerically the PC and PD process. However, there may be some real world realities that need to be addressed. If the order quantity is more than a given

threshold, the PC scheme will have to be made more sophisticated since the calculated AP is for the last unit of capacity and may change as orders come in. If the MTO manufacturer has other suppliers, the complete upstream supply chain may have to be considered and its reliability factored in depending upon the relationship between the two. The downstream chain may also be important. If there are multiple items and capacity units (say more than one work center or materials) the VM model needs to be generalized. Once the multiple items have been mapped into multiple products, the problem is conceptually similar to one item that has been productized. The multiple resources can be handled by arriving at an AP for each resource (constrained or not -in which case it could be small or 0). If the sum of the utilized resources' AP is less than the value being obtained then the product can be made available.

It should also be noted that the PC relies on the availability of unconstrained demand, i.e., demand that exists for a product regardless of whether it will be available or not. In reality the recorded history will only have actual realized demand (or constrained demand). This can place additional burdens on the forecasting algorithms since they use the histories to forecast.

#### Other Embodiments

Although the present invention has been described in detail, it should be understood that various changes, substitutions, and alterations can be made hereto without departing from the spirit and scope of the invention as defined by the appended claims.

Appendix A

Expected Revenue for FCFS for Various AC's

Product	ER(1)	AP	ER(2)	AP	ER(3)	AP
P (No PD)	$.5*800 + .5* (.5*800 + .5*.5*800)$ = 700	700	$.5*(800+400+200) + .5*(.5*(800+400) + 200) = 1100$	400	$.5*(800+.5*(800+.400) + 200) + .5*(.5*(800 + 400) + 200) = 1200$	100
P (PD)	$.5*800 + .5*(.5*1100 + .5*(.5*1200)) = 825$	825	$.5*(800+850) + .5*(.5*(1100+600) + .5*(.5*1200)) = 1400$	575	$.5*(800+.5*(1100+600) + 300) + .5*(.5*(1100+600) + 300) = 1550$	150

Appendix B

Expected Revenue with PC for Various AC's

Product/ Value	AC=1	ER	AP	AC=2	ER	AP	AC=3	ER	AP	AC=4	ER	AP
PC (1D)/ 1200	.5*	600		.5*	600		.5*1200	600		.5*	600	
	1200 =			1200			=			1200		
				=						=		
PC (1W)/ 1100	.5*	850	850	.5*	1150		.5*(1100	1150		.5*	1150	
	1100			(1100+6			+600)+.5			(1100+6		
	+5*600 =			00)+.5*6			*600			00) +		
				00			=			.5*600		
				=						=		
PC (3W)/ 800	.5*	825		.5*	1400	550	.5*(800+	1550	150	.5*	1550	0
	800 +			(800+			1150)+.5			(800+11		
	.5*850 =			850)			*1150			50) +.5*		
				+5*			=			1150		
				1150						=		
				=								

CLAIMS:

1. A computer-implemented method of valuing products, comprising the steps of:

identifying a set of product components;

5 designing a set of products from said components;

assigning a price to each said product;

assigning demand probability values, such that a probability value is associated with each of said products;

10 calculating component values, such that a component value is obtained for each of said components, by performing the following steps: (a) assuming a beginning value for each of said components; (b) for a first said component, calculating prorated values, such that for products using that component, a prorated value is  
15 calculated on that component by calculating the difference between the product price and a value of the product's other components; (c) calculating a component value as a function of said prorated values and said probability values; (d) repeating steps (b) and (c) for all said  
20 components; (e) determining whether said component values converge; and (f) if any component value does not converge, using the calculated component values as the beginning component value and repeating said steps (b) through (e) for that component; and

25 calculating a value for each said product, based on the results of the preceding step, by adding the component value of each component of that product.

30 2. The method of Claim 1, wherein step (d) is performed by multiplying a probability values times prorated values.

35 3. The method of Claim 1, wherein step (d) is performed by obtaining a sum of products of probability values and prorated values.



4. The method of Claim 1, wherein said probability values include both the probability of demand for a product and the probability that demand will arrive in a certain order vis a vis other products.

5

5. The method of Claim 1, wherein said method is performed to value non-standard products and said assigning step is performed by assigning prices of standard products.

10

6. A computer-implemented method of pricing an order for a product based on varying lead times during a specified time period, comprising the steps of:

calculating a set of values for said product over a range of available supplies of said product;

15

determining a size  $Q$  of said order;

selecting a set of order points during said time horizon, each said order point having a lead time  $LT$  to the next order point;

20

for a first order point, calculating an incremental production quantity as  $Q/LT$ , and calculating revenue displaced by said incremental production quantity using said set of product values;

repeating said calculating step for each said order point;

25

calculating an average displaced revenue; and

calculating the price for said order, using the results of the preceding step.

30

7. The method of Claim 6, wherein said product has multiple components and further comprising the steps of repeating all steps for each component and adding the results.

35

8. The method of Claim 7, wherein said set of minimum acceptable values is calculated by (a) assuming a

beginning value for each of said components; (b) for a first said component, calculating prorated values, such that for each product using that component, a prorated value is calculated on that component by calculating the difference between the product price and a value of the product's other components; (c) calculating a component value as a function of said prorated values and said probability values; (d) repeating steps (b) and (c) for all said components; (e) determining whether said component values converge; and (f) if any component value does not converge, using the calculated component values as the beginning component value and repeating said steps (b) through (e) for that component; and (g) adding the values of each component.

9. The method of Claim 6, wherein said displaced revenue is calculated by integrating a curve representing said set of product values.

10. The method of Claim 6, wherein said displaced revenue is calculated as the difference between a total potential revenue determined by said product values for all S and the total potential revenue for S - Q.

11. A computer-implemented method of pricing make-to-order products, comprising the steps of:

designing a set of products, each having an associated delivery time and price;

assigning a demand probability value to each of said products;

calculating an expected revenue from said products for at least two available capacities, said expected revenue being a function of said demand probability values and said prices;

calculating an asking price for each of said products as the difference between its expected revenue from successive available capacities.

5           12. The method of Claim 11, wherein said expected revenue is calculated as a sum of products of said probability values and said prices.

10           13. The method of Claim 11, wherein said expected revenue is calculated from a binary tree representing said probability values and said prices.

15           14. The method of Claim 11, wherein said expected revenue is calculated for each product in accordance in response to a product control policy.

20           15. The method of Claim 11, further comprising the step of comparing said asking price for different products at a given capacity.

25           16. A computer-implemented tool for valuing manufactured products, comprising:

means for designing a set of products, each said product having one or more components; and

30           means for calculating values of said products by assigning demand probability values, such that a probability value is associated with each of said products; then by calculating component values, such that a component value is obtained for each of said components, by  
35           performing the following steps: (a) assuming a beginning value for each of said components; (b) for a first said component, calculating prorated values, such that for each product using that component, a prorated value is calculated on that component by calculating the difference between the product price and a value of the product's

other components; (c) calculating a component value as a function of said prorated values and said probability values; (d) repeating steps (b) and (c) for all said components; (e) determining whether said component values  
5 converge; and (f) if any component value does not converge, using the calculated component values as the beginning component value and repeating said steps (b) through (e) for that component; and then by calculating a value for each said product, based on the results of the preceding  
10 step, by adding the component value of each component of that product.

17. The method of Claim 16, wherein said means for designing provides each said product with an associated  
15 lead time and wherein said means for calculating further uses lead time values and said component values to determine product values.

18. The method of Claim 16, wherein said means for  
20 designing provides each said product with an associated delivery time and wherein said means for calculating further uses delivery time values and said component values to determine product values.

19. The method of Claim 16, further comprising means  
25 for implementing a product control policy, and further comprising the step of using said product values to determine whether to accept orders for products.

30

COMPUTER-IMPLEMENTED PRODUCT VALUATION TOOL

5     ABSTRACT

          A method of valuing products based on demand  
probabilities. Products are designed by identifying  
product components, and combining the components in various  
combinations to provide standard and non-standard products.  
10 Components are valued using an algorithm that considers  
demand probability as well as known prices of standard  
products. The component values are added to determine  
product values and may be used to make pricing and order  
fulfillment decisions.

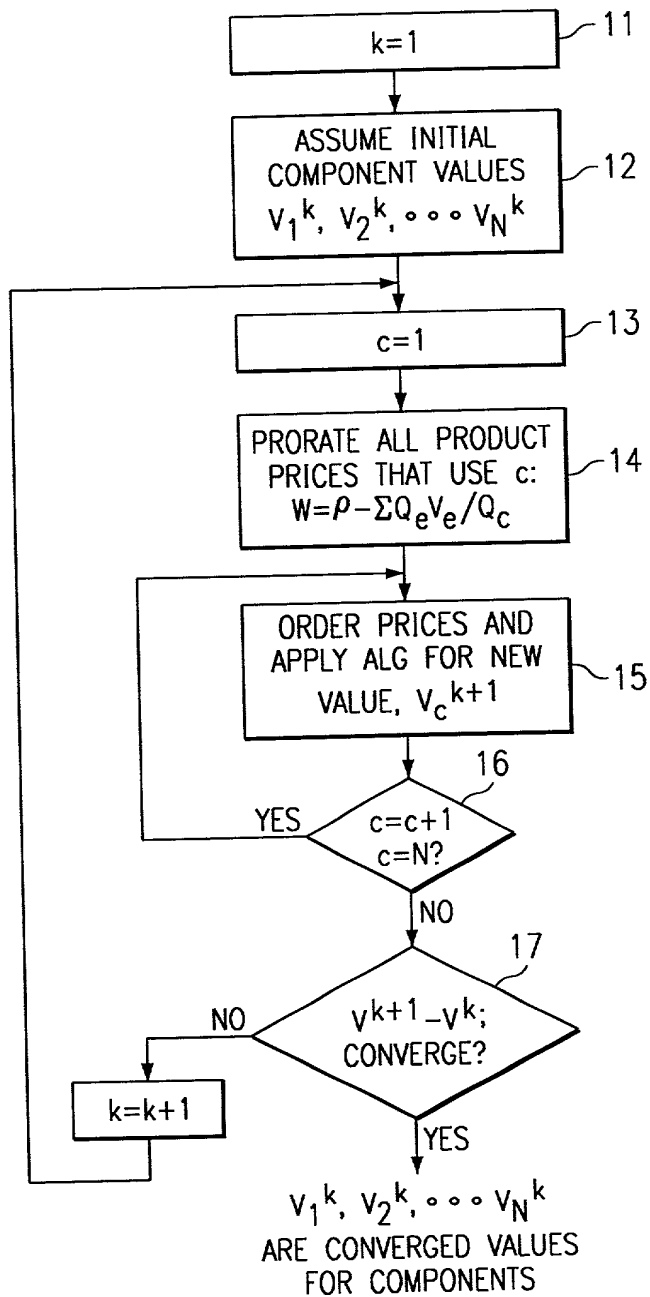


FIG. 1

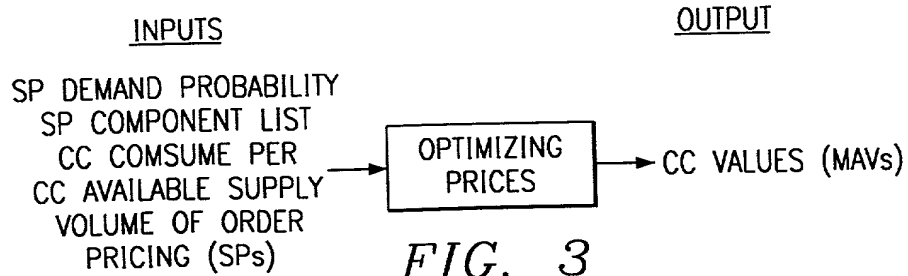


FIG. 3

FIG. 2A

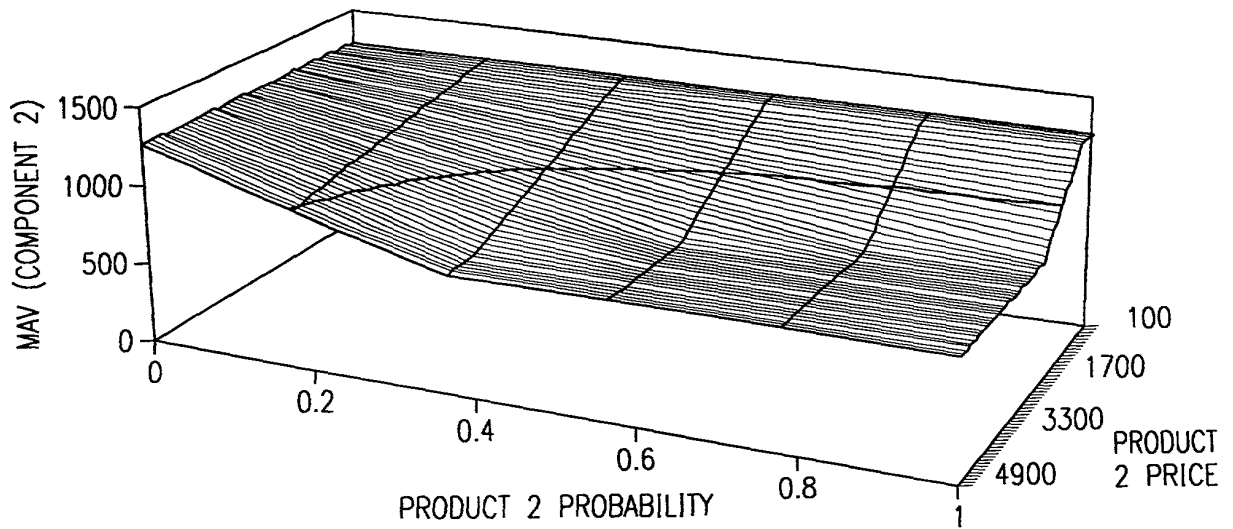
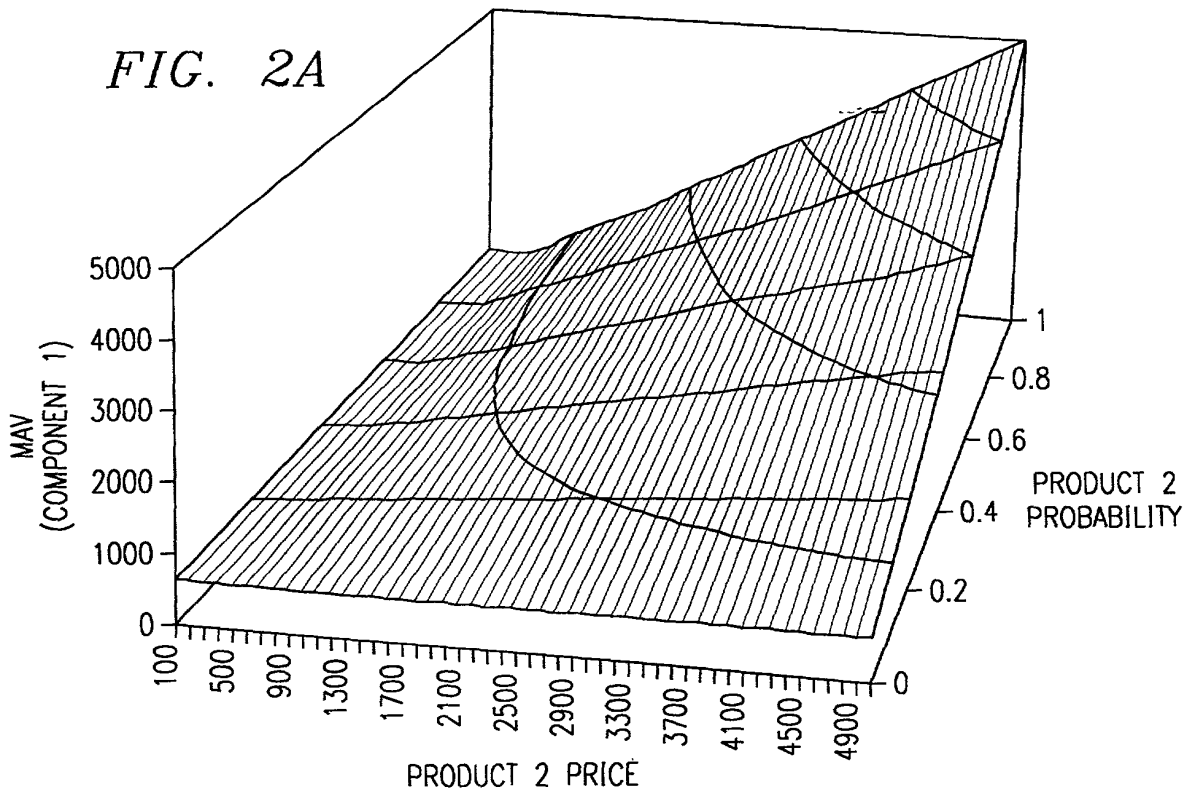


FIG. 2B

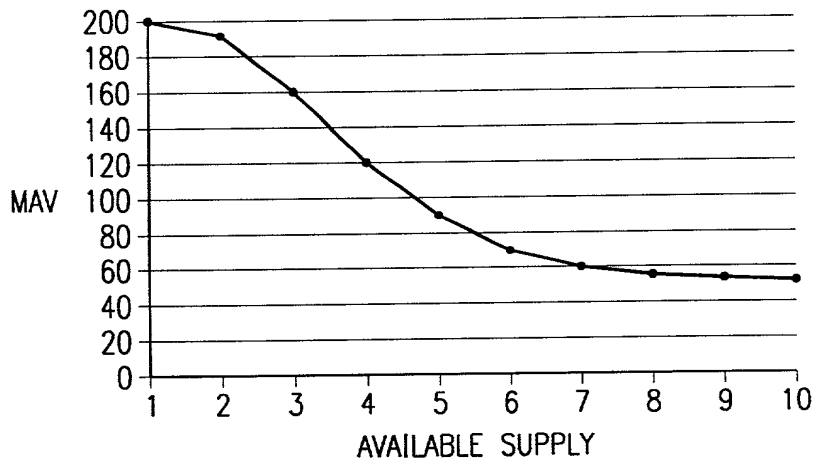


FIG. 4

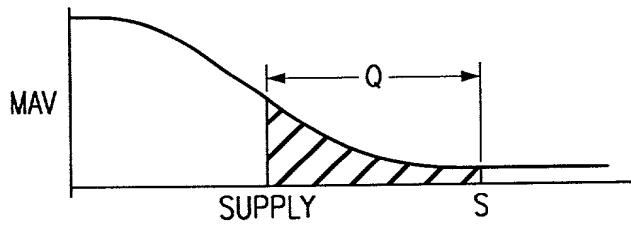


FIG. 5

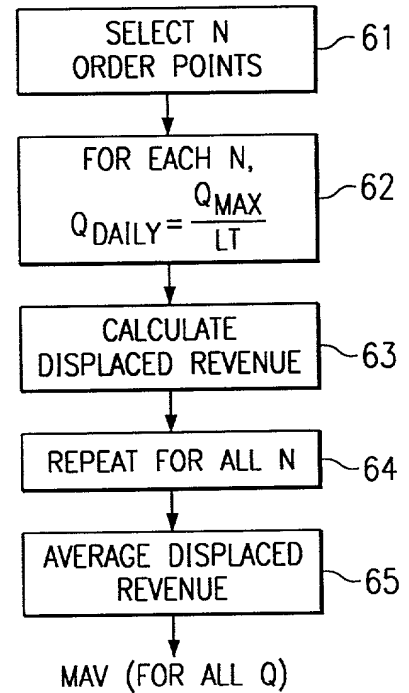


FIG. 6

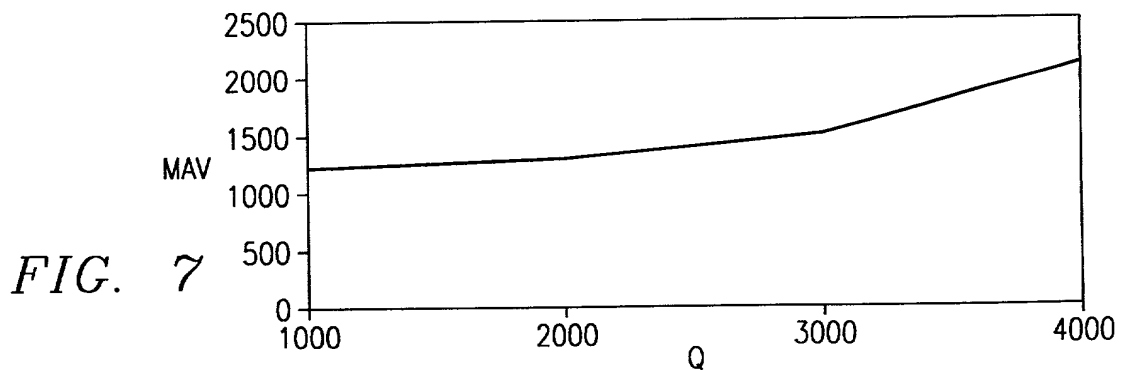


FIG. 7



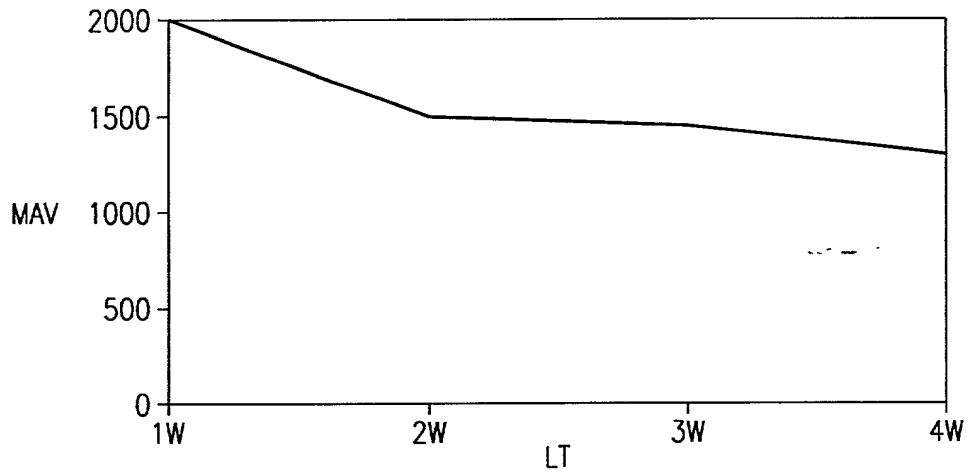


FIG. 8

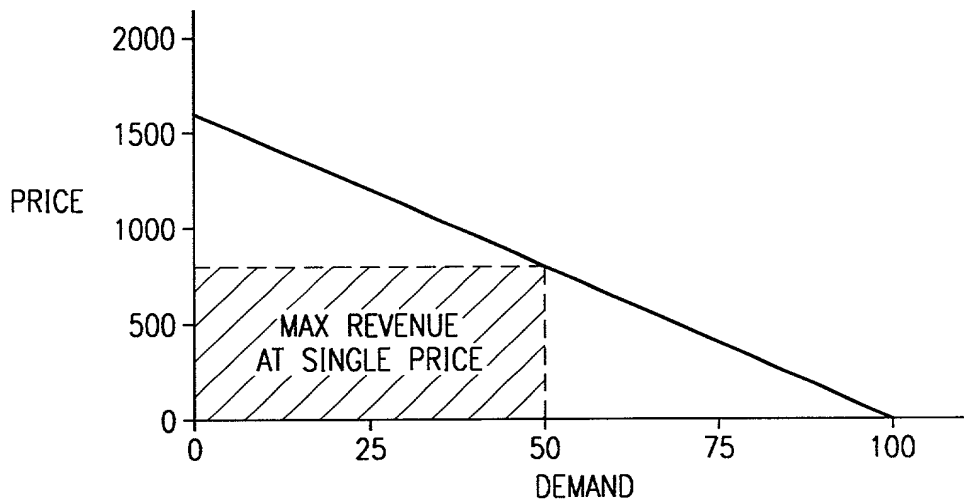


FIG. 9

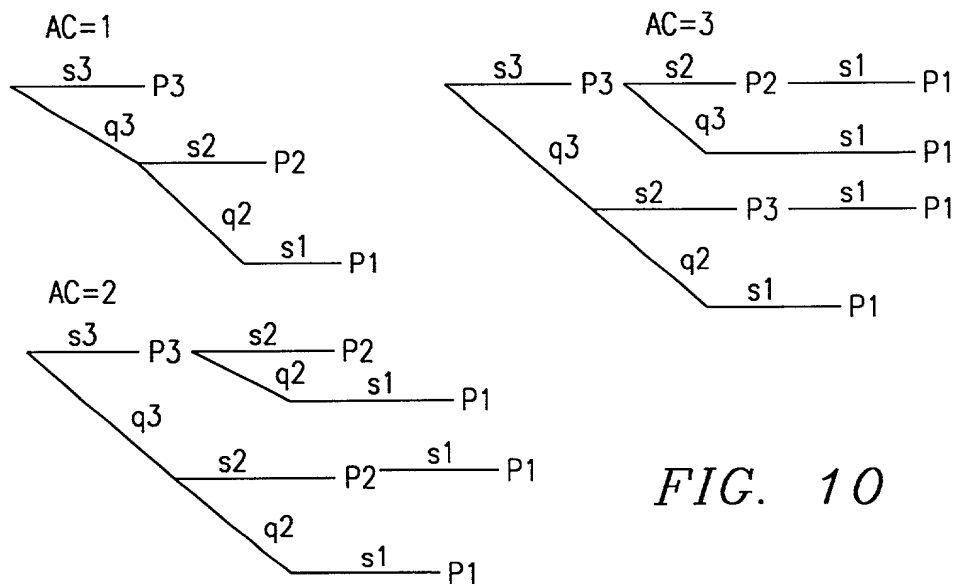


FIG. 10

DECLARATION AND POWER OF ATTORNEY

As a below named inventor, I declare that:

My residence, post office address and citizenship are as stated below next to my name; that I believe I am the original, first and sole inventor of the subject matter which is claimed and for which a patent is sought on the invention or design entitled COMPUTER-IMPLEMENTED PRODUCT VALUATION TOOL, the specification of which (check one):

  X   is attached hereto; or  
       was filed on        as Application  
Serial No.        and was amended on        (if  
applicable);

that I have reviewed and understand the contents of the above-identified specification, including the claims, as amended by any amendment referred to above; and that I acknowledge the duty to disclose to the U.S. Patent and Trademark Office all information known to me to be material to patentability as defined in 37 C.F.R. § 1.56.

I hereby claim foreign priority benefits under 35 U.S.C. § 119 of any foreign application(s) for patent or inventor's certificate listed below and have also identified below any foreign application(s) for patent or inventor's certificate having a filing date before that of the application on which priority is claimed:

<u>Number</u>	<u>Country</u>	<u>Date Filed</u>	<u>Priority Claimed</u>
			(Yes) (No)
None			

I hereby claim the benefit under 35 U.S.C. § 120 of any United States application(s) listed below and, insofar as the subject matter of each of the claims of this application is not disclosed in the prior United States application(s) in the manner provided by the first paragraph of 35 U.S.C. § 112, I acknowledge the duty to disclose to the U.S. Patent and Trademark Office all information known to me to be material to patentability as

defined in 37 C.F.R. § 1.56 which became available between the filing date of the prior application(s) and the national or PCT international filing date of this application:

<u>Application Serial Number</u>	<u>Date Filed</u>	<u>Status</u>
--------------------------------------	-------------------	---------------

I hereby claim the benefit under Title 35, United States Code, § 119(e) of any United States provisional application(s) listed below:

<u>60/066,133</u> (Application No.)	<u>November 19, 1997</u> (Filing Date)
<u>60/066,134</u> (Application No.)	<u>November 19, 1997</u> (Filing Date)
<u>60/066,136</u> (Application No.)	<u>November 19, 1997</u> (Filing Date)

I hereby appoint:

Jerry W. Mills	Reg. No. 23,005
Robert M. Chiaviello, Jr.	Reg. No. 32,461
Ann C. Livingston	Reg. No. 32,479
Thomas R. Felger	Reg. No. 28,842
Charles S. Fish	Reg. No. 35,870
Wei Wei Jeang	Reg. No. 33,305
Kevin J. Meek	Reg. No. 33,738
T. Murray Smith	Reg. No. 30,222
Barton E. Showalter	Reg. No. 38,302
David G. Wille	Reg. No. 38,363
Bradley P. Williams	Reg. No. 40,227
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all of the firm of Baker & Botts, L.L.P., my attorneys with full power of substitution and revocation, to prosecute this application and to transact all business in the United States Patent and Trademark Office connected therewith, and to file and prosecute any international patent applications filed thereon before any international authorities.

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I declare that all statements made herein of my own knowledge are true and that all statements made on information and belief are believed to be true; and further that these statements were made with the knowledge that willful false statements and the like so made are punishable by fine or imprisonment, or both, under Section 1001 of Title 18 of the United States Code, and that such willful false statements may jeopardize the validity of the application or any patent issuing thereon.

Full name of sole inventor

Vibhu K. Kalyan

Inventor's signature

Date

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